

# GRAMELOGIA

OR, 6'

## The Mathematicall Ring.

Shewing (any reasonable Capacity that hat  
not *Arithmetickē*) how to resolve and worke  
all ordinary operations of *Arithmetickē*.

And those which are most difficult with greate  
facilitie: The extraction of Roots, the valuation of  
Leaves, &c. The measuring of Plaines  
and Solids.

With the resolution of Plaine and Sphericall  
TRIANGLES.

And that onely by an Ocular Inspection,  
and a Circular Motion.

*by Rich. Delamain.*  
*Natura secreta tempus aperit.*



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# To the High and Mighty King CHARLES King of Great Britaine.

Most excellent Majestie,

Ince the perfection of things stand in their use, and the best are ever most usefull, and that there is no kinde of *Learnyn* that doth more acuate, and stirre up generous and noble mind to solid and eminent affaires, than doth the *Mathematicall* *Stu*  
dies, yeelding such ligatsonnesse, and pleasantnesse to the affectionate in demonstyring the cauie of things, which secrete great *secrets* in *Nature* *scuole*, that in darknesse *Light* is had, *Ponderosites* way nought, and invisibles appearre; the utility and excellency of *Arithmetuke*, *Geometry*, *Astro*  
*nomy*, *Navigation*, *Fortification*, &c. Hence by many *Magnanimous* *Princes* and heroicall spirits they have beene embraced with great affection in al *Age*s; who have taken speciall notice, made most use, and accepted of the quickest and easiest waies in the operation of those *Artis*. Why may not then my *Grammelogia* sive to your Sacred Patronage; seeing it is so fit for use, and so excellent to helpe the weaknesse of *Memorie*, that it is able to worke and resolve more *Mathematicall* *Questions* (in respect of ordinary service) and that with farre greater ease, and without any other dependance, as well on *Horsebacke* as on *Foot*, than by any *Invention* whatsover, and that only by an *Ocular inspection*. I crave therefore your most gracious Majestie to accept this (though small) pledge in lieu of part of that dutifull service I owe your Sacred Majestie; and I will never cease to pray to the supreme King of Kings long to preserve your Majesties Royal Person, in all felicity in this life, and eternally in all blisse in that to come.

Your Majesties most devoted subject,

## To the Reader.

**H**aving for many yeares taught the *Mathematick* in this Towne, and therein seeing the copiousnesse of that Study, the excellency of the ends, and the ingenious inventions of many men in that kinde, amongst which *Nepis Baron of Merciborne* (worthy of all praise) hath not bene the least in the production of that admirable and never too much prai'd worke of *Logarithmes*, by which, great, laborious, and difficult operations in *Mathematicall Practices* are made facile; when the *Logarithms* of the *Numbers* of a *Question* are taken out of the Tables of *Logarithmes*, and so accommودated that by *Addition* or *Subtraction*, or by both, the *Logarithme* of the *Answer* is had; notwithstanding in this so great an ease (in comparison of ordinary operation) in every single *Question* there is much time spent in the search of the *Logarithmes* of *Numbers*, & the *Number* belonging to a *Logarithme*, and often time a failing and error in the search thereof, to such which are not well acquainted with those Tables: for expediency in ordinary service, *Master Gunner Professor of Astronomy in Gresham College* (my worthy Tutor) disposed the *Logarithmes* in a double situations upon a scale, and so with a paire of *Compasses* made it fit for operation; (a worke worthy of much praise) neare his death I have muche engadued with my selfe howe the great body of *Logarithmes* might be so compacted, that every number might have his *Proportionall Number* to a divers or variable proportion, (this I found at the first very difficult) and herein concluded, that it could not be accommодated by placing *Numbers* one by another in proportion (which to fit to all proportions would breed confusion) but by some *Motion*, so that the whole body of *Logarithmes* might move proportionally the one to the other, as occasion required. This conceit in February last I stukke upon, and so compoed my *Grammologia* or *Mathematicall Ring*; by which only with an *cular inspection*, there is had at one instant all proportionals through the said body of *Numbers* (to a proportion assigned) that as soone as a *Question* is proposed (in ordinary affaires) the *Answer* is had, and not in that only, but in all other numbers which depend upon the like proportion. And here note that this Invention tends not to the curiositie of *Numbers* in calculation, but for expedition and facility, for which end I composed it (ceasing that few men in these times will take paines) in which, pag. 3, evidently appeares, in proportionating the *Fort* to the *Fort*, or the *Building* to the *Building*; in *Feet*, the *answer* is alwaies *Feet*, and the parts of *Feet*, which is sufficient for *Practice*: so in pag. 20. is demanded what a lease of 20. li. per *annum* is worth for 22. yeares to be sold for ready money: the *answer* for which, and others in that kinde, is ever within a *unity*, which is sufficient for *Buyer* or *Seller* to conclude upon, and so in other matters; as thorow the whole body of *Arithmetiske*, I have in some part dilated on in this following *Treatise*. And here note, that the Figures which are separated from other Figures with a point, are fractionall numbers, and are the parts of 1. divided into 10. or 100. parts, as thus, 26. 5. that is, 26. and 5. parts of 1. that 1. being divided into 10. parts, which is a *half*: if it were 26. li. 4. I would expresse it thus, 26. li. four tenths of a pound, that is 8.s. for that 1. being supposed to be 10. parts, it representeth the parts of the pound, therefore 4. parts shall be 8. s. as before, &c.

such as desire helpe herein, in the *Arithmetical* worke, in the *Logarithmall* way, or in the *Demonstration* of any thing therein, may be assisted by the *Author* (God permitting life) and not in this only, but in any other part of the *Mathematicall Studies*; so I rest a lover such that love all laudable qualities.

From my house in Chancery Lane,  
the 5<sup>th</sup> of Januari. 1630.

Of the description of the Grammclogia,  
first how to number thereon, which being not  
fully understood, all the ensuing matter will  
seeme difficult. Note therefore this direction  
with diligence, for then all the Treatise thereon  
will bee most plaine, such, that the like, for ex-  
pedition and facility, hath never beene produced.

**T**he parts of the Instrument are two Circles, the  
one moveable, and the other fixed; The move-  
able is that unto which is fastened a small pin to  
move it by; the other Circle may be conceived  
to be fixed: The circumference of the moveable Circle is  
divided into unequal parts, charactered with figures thus,  
1.2.3.4.5.6.7.8.9. these figures doe represent themselves, or  
such numbers unto which a Cipher or Ciphers are added,  
and are varied as the occasion falls out in the speech of Num-  
bers, so 1. stands for 1. or 10. or 100. &c. the 2. stands for 2.  
or 20. or 200. or 2000. &c. the 3. stands for 30. or 300. or  
3000. &c.

If the figure of 1. stands but for 1. then all the divisions in  
the Circle are the parts of 1. so the figure of 4. stands for the  
fourth of 1. if 1. be divided into 10. parts, or the 4. stands for  
40. parts of 1. (if 1. be divided into 100. parts) 8. stands for  
the eighth part of 1. &c.

Secondly, if the figure of 1. stand for 10. then the figure of  
2. stands for 20. the 3 for 30. &c. hence it followeth, that be-  
tweene the figure of 1. and the figure of 2. or between 2.  
and 3. must be 10. divisions to represent the intermediate  
numbers, the middle of those divisions is noted thus 'i' as if  
the 2. be 20. and the 3 be 30. then the next great division be-  
yond the figure of 2. you may account 21. two divisions be-  
yond the figure of 2. to be 22. the next great division you  
may account 23. and so on, numbring till you come to 30.  
or any other number, which division noted thus 'i' is only to  
helpe the memory in numbring.

Thirdly, if the figure of 2. stand for 100. then the figure  
of 3. is 300. the figure of 4. is 400. hence there must be 100.  
between 300. and 300. and 100. more between 300. and

400, and so of others: now seeing that ten tens make an hundred, there must be 10. divisions between the said 100, and 300. every one of those divisions doe represent 10. so the said note 1 shall be halfe of the said 100. therefore at that note you may reade 250. and the middle betweene 300. and 400. 350. 450. &c.

Every one of the divisions which stand for 10. is divided into 10. other divisions, the middle of which hath its division a little higher than the rest, to helpe the memory to number more readily.

And here generally is to be noted, that what Denomination you give unto any of the Figures, the next great division is the next subdenomination, and the next lesser division to that greater, is the second subdenomination, as if I should speake 343. here the denominations are *Hundreds*, *Tens*, *V-nits*, the figure of 2. shall stand for 200. the foure great divisions next the 2. shall be 40. and the next three small divisions shall represent 3. which is within seven small divisions of 4. and so of others.

Thus for the Description and numbring on the moveable Circle. The numbers and divisions on the fixed Circle, are the very same that the moveable are, and therefore the same numbers are in the fixed that are in the moveable, for if you move 1. in the moveable to 1. in the fixed, there is represented to every number, or division, his opposite.

And thus in these two Circles, there is a great body of *Numbers*, the one standing alwaies fixed, and the other to be moved; and if any number in the moveable be moved, all other numbers move with it, so if you move 25. in the moveable, to 30. in the fixed, right against 26. in the moveable, is 31. 3. 10. in the fixed, and right against 27. in the moveable, is 32. 4. 10. in the fixed, right against 30. in the moveable, is 46. in the fixed, against 46. in the moveable is 55. a 10. in the fixed,

Againe, if 108. in the moveable, be brought to 15. in the fixed, right against 16. in the fixed, is 115 in the moveable, and right against 12. in the fixed, is 86. 4. 10. in the moveable. Thus what denomination you give unto the numbers in the *Moveable*, according to their successive progresse, you are to keep the same denomination; the like is to be conceived touching the successive denomination of numbers in the fixed.

How to performe the Golden Rule,  
or to finde a Proportionall Number unto  
another Number, as two other Numbers  
are in proportion amongst  
themselves.

His Rule of all other is the most excellent  
and the most generall, as well in *Mathematicall Calculations*, as in *Arithmetical Computations*, and therefore  
may not unsightly be so called, and the *Instrumentall operation* is rather more fa-  
cile in this Rule, than in *Multiplication*  
or *Division*; hence it is that I have dispo-  
sed it in the front of the worke, because  
of expedition and facility: and the way of operation is thus:

Secke the first number in the moveable, and bring it to *Construction*:  
the second number in the fixed, so right against the third  
number in the moveable, is the answer in the fixed.

If the Interest of 100. li. be 8. li. in the yeare, what is the *Example*:  
Interest of 65. li. for the same time.

Bring 100. in the moveable to 8. in the fixed, so right *Construction*:  
against 65. in the moveable is 5. 2. in the fixed, and so  
much is the Interest of 65. li. for a yeare at 8. li. for 100. li.  
*per annuum.*

The *Instrument* not removed, you may at one instant  
right against any summe of money in the moveable, set the  
Interest thereof in the fixed: the reason of this is from the  
*Definition of Logarithmes.*

*Proportionales Logarithmi aequalis habent differentias.*

*Necesse est igitur proportionales Logarithmos in proportionem  
lineari distantias eequalis habere.*

*Definitio.*

Example 2. If a Troope of 50. Horse have for their pay 140. li. how much shall suffice to pay a Troope of 64. Horse.

instrucciō.

Bring 50. to 140 then right against 64. in the moveable is, B 179. 2. in the fixed, the monthly pay of the said 64. horse. And there immediately may you see the monthly charge of any number of Horse, for, the number of Horse given in the moveable, right against it, is their pay in the fixed.

Example 3. It is said that the proportion betwene the circumference of a Circle to his Diameter is 7. to 22.

Bring therefore 7. in the moveable to 22. in the fixed, then immediately at one instant may you have the Diameter or Circumference of any Circle, only by an ocular inspection: for right against the Diameter in the moveable, is the Circumference in the fixed; or right against any Circumference in the fixed, is his Diameter in the moveable: Thus for the simple Rule.

Further uses of the Gol'den Rule in ordinary service in proportioning of things.

Example 4. Let *FL X.* represent the Perimeter of a Pentagonal Fort, and let the distance betwene the points of the Bastines, *FL* be 926. foot, or *KL* the square side of a Building 470. foot, and the other dimentions, both of the Fort, and the Building according to the here under inscribed Tables.

The distance betwene the 2 points of the Bulwark. *FL. 926.*

A perpendicular ————— *C R. 617.*

The Cortine ————— *D N. 652.*

The side of the Fort ————— *A B. 425.*

The gorge line ————— *A D. 119.*

The Flanke ————— *D E. 100.*

The line of defence ————— *D L. 700.*

The face of the Bastine ————— *E F. 264.*

The capitalline ————— *A F. 224.*

The distance from the Center to the Bastine *A C. 554.*

From the Cortine to the Center *C I. 456.*

The bredth of the Bulwark. *G E. 310.*

The greatest square side of the Building —— K.L. 470. foot

Q. A court within the middle of the Building.

The distance betweene the middle of the Court  
and any out angle, as ————— K.A. 236.

The least inner square of the Court ————— E.F. 300.

Betweene any out corner of the Building, as ————— R.X. 180.  
0.0.0. &c. a stone Gallery in bredth ————— 36.

And so of other under roomes to other uses.

Now admit another like *Fort*, or another like *Building*  
is to be erected, whose greatest distance betweene the  
aforesaid points of the Bastines, can be but 750. foot, or the  
greatest side of the peice of ground where the *Building* is to  
bee made, is but 400. foot, what shall the severall measures  
of this new *Structure* be, so that the *Fort* to the *Fort*, or the  
*Building* to the *Building*, in all parts be proportionall?

This is performed with much facility and expedition by *Constructio Grammælogia*.

For if you move the whole to the whole, *viz.* 926. to 750.  
or 470. to 400. right against the severall knowne measures  
in the moveable, you have the severall required measures in  
the fixed. I bring therefore 926. unto 750.

637	515. 9.
662	536. 1.
425	344. 2.
119	96. 4.
100	81. 0.
700	566. 9.
264	213. 8.
224	181. 4.
564	456. 8.
416	369. 3.
310	251. 1.

So right against In the moveable is	In the fixed	Soright	236	in the move-	285. 9.
		against	200	able is	170. 2.
			180		153. 1.
			36		72. 8

These numbers found out by the ordinary way of Arithmetick may trouble a nimble Arithmetician a whole houre or more, and therein subject to much error, but others 6. or 8. houres at the least, if not more; but by this *Grammælogia*, they are found out in lesse time then halfe a quarter of an houre: for so quicke is its operation in any question, to him that hath the way of working by it, that it gives the *Answer* before a man can distinctly write downe the numbers propoed in the question.

Further

*Further uses of the Golden Rule, in matters of  
combination of Numbers, how to part  
a number into parts, as another  
number is already parted.*

1. **L**et *A. B. C. D. E.* be five men which adventure money in  
a Plantation or otherwise: *A.* adventures 84. li. *B.* 72. li.  
*C.* 48. li. *D.* 54. li. *E.* 42. li. by which in the retурne is gotten 50.  
li. how much shall *A. B. C. D.* and *E.* have, according to their  
severall disbursements.

2. Or admit *F.* borroweth of *A.* 84. li. of *B.* 72. li. of *C.* 48. li.  
of *D.* 54. li. and of *E.* 42. li. *F.* dieth, and his whole estate is  
worth but 50. li. how much shall every Creditor have of this  
50. li. according to his money lent,

3. Or suppose *A. B. C. D. E.* were five severall metals, allotted  
to make a Statue, Vessell, Bell, &c. *A.* Gold, *B.* Silver, *C.* Co-  
per, *D.* Latten, and *E.* Tin; now when the Metals were melt  
and cast, there was left a peece which weighed 50. li. how  
much Gold, Silver, Copper, Latten, and Tin doth it containe,  
that so the worth of that peece may be knowne.

4. Or if there were 5. Companies, or 5. Captaines, *A. B. C. D. E.*  
who expect their Pay, to *A* was owing for his service 84. li.  
to *B.* 72. li. to *C.* 48. li. to *D.* 54. li. and to *E.* 42. li. Now to  
keepe them from mutiny, the Generall sends them 50. li. to  
be parted amongst them proportionally according to each  
others dues, what shall *A. B. C. D. E.* have?

5. Or admit *A. B. C. D.* and *E.* should load a ship of 300.  
tuns, *A* layes in 84 tuns, *B.* 72. *C.* 48. *D.* 54. and *E.* 42.  
tuns; in the voyage by reason of tempest, for safegard of  
their lives and Ship, there was cast over boord 50. tuns of  
the loading, how much shall *A* beare of the losse, as also  
*B. C. D.* and *E.*

6. Further, in a Shire there is to be raised of 5. men, *A. B. C.*  
*D.* and *E.* 50. li. proportionally according to their estates; *A.*  
is worth yearly 84. li. *B.* 72. li. *C.* 48. li. *D.* 54. li. and *E.* 42. li.  
how much shall all each on: pay, &c.

Thus I might infinitely dilate my selfe upon one subject, tending to admirable uses, I onely in this glance by things, making but way to the occasions: The resolution of which, and all otherets of this kinde, is drawne from this ensuing Axiome.

There is such proportion betweene any whole, and his parts, as Axiome. betweene the like whole, either greater or lesser, and his parts: or betweene the parts and the parts, as betweene the whole and the whole.

So in the first example, Adde the money of A. B. C. D. and Declaratio. E. together makes 300. li. this is the whole, the parts are the former: now 50. li. is another whole number, which must be broken into parts proportionall to the former; and this differeth nothing in the operation from that of the last, in proportionating the Fort to the Fort, or the Building to the Building: for such proportion as 300. li. the whole money disbursed hath unto 50. li. the whole money gatten, so shall 484. have to his part, and so of any other.

Bring therefore 300. in the moveable unto 50. in the fixed, so right against any particular part in the moveable is his part proportionall in the fixed, as there apparantly is scene, and from thence they are taken and placed in a Table, where under appeares.

Confruſſio

As 300. to 50. so	A. 84.	14.
	B. 72.	12.
	C. 48.	8.
	D. 54.	9.
	E. 42.	7.

More

*Moresnes upon the Golden Rule, in the  
division of Lines.*

*Propositiō. 1.* **T**O finde a Line that shall keepe any proportion assigned unto another line given.

*Declaratio.* As, let a Line be found which shall keepe proportion to the line *A.* as 3. to 5.

*Construictio.* Measure the line *A* by a scale of equal parts, then bring 3. unto 5.

so against the measure of the line *A* in the moveable, you have the measure of the line required in the fixed, viz. *B.* so the lines *A* and *B* are in proportion as 3. to 5. &c.

*Propositiō. 2.* **T**o divide a Line into any number of equal parts.

*Declaratio.* Let it be required to divide the Line *A* into 23. parts: first, by a scale of equal parts measure

the Line *A*, which admit to bee 51. parts, bring then 23. in the moveable unto 51. in the fixed. So right against 1. 5. 10.

15. 20. in the moveable, is 2. and 2. 10. 11. and 1. 10. 22. and 2. 10. 33. and 2. 10. 44. and 3. 10. in the fixed: if these numbers be taken from the same scale, and applied to the line *A*, it will be divided in the points of 1. 5. 10. 15. and 20. then may those parts be easily sub-divided.

*Propositiō. 3.* **T**o divide a Line in such sort or proportion as another Line is already divided.

*Declaratio.* Let the Line *B. C.* bee divided in the points, *D. E. F. G.* and *H.* as the Line *R.* is divided.

*Construictio.* Measure the Line *R.* 58. and his divisions *R. 12. R. 15. R. 20. R. 30. R. 50.* then let *BC.* be measured, which admit it containes 37. parts, bring 51. unto 37. so against the parts of *R* in the moveable, you have the parts of *BC.* in the fixed, viz. *BD. BE. BF. BG. and BH.*

*Propositiō. 4.* **T**o finde a line in continual proportion unto two give lines, or a proportionall line to 3. lines, it differeth nothing from that of Numbers, and therefore wrought accordingly.



Notions or principles touching the disposing or ordering of the Numbers in the Golden Rule in their true places upon the Grammelogia, and the congruity of those Numbers one unto another.

Note that in any question of the *Golden Rule*, there are three numbers to worke upon, whereof two of them are of one denomination, the one of them hath his answer, and the other doth require an answer, and those two numbers of like denominations must be alwaies accounted or sought out upon the moveable Circle.

As if 30. li. doe rent 45. Acres of Land yearely, how much doth Example. i. the yearly Rent of 84. Acres amount to.

Here the denominations alike are 45. Acres and 84. Acres, 45. Acres hath his answer, 30. li. and 84. Acres requires his answer.

For the working of this and all others, Let the numbers in the moveable be brought to his answer in the fixed: that is, bring 45. to 30. so, right against the thing demanded in the moveable; that is, against 84. shall be the answer in the fixed, viz. 56. and so many pounds will rent yearly the said 84. Acres.

Secondly, note further, that those three numbers as 45. Acres, 30. li. and 84. Acres, are distinguished by numerall attributes, as first, second, and third. Hence of some it is called the rule of three, and the answer to 84. Acres is called the fourth number, which is ever of the same denomination that the second number is of: and the fourth number sought for hath alwaies such proportion to the third number, as the second is to the first: *Vel contra.*

From which by a more generall name, it is called *The Rule of proportion*, for that it proportionateth things unto any proportion assignd; so is the said 56. a proportionall number to 84. as 30. is unto 45. for 56. is two third parts of 84. and so is 30. two third parts of 45.

Therefore these foure numbers, 45. 30. 84. 56. are proportionall numbers one unto another: And here note generally in direct proportion, if the *third number* be greater than the *first number*, the *fourth number* shall bee greater than the *second number*.

Contrariwise, if the *third number* be leſſe than the *first number*, the *fourth number* is leſſe than the *second number*.

But in *Reciprocall proportion* this fourth number is inverted so if the *third number* be greater than the *first*, the *fourth number* is leſſe than the *second*.

**Example 1.** So if 45. men in 30. daies, will doe a service, in how many daies shall 270. men doe it.

Here the denominations alike are 45. Men and 270. Men the answer to 45. men is 30. daies, the answer to 270. men required.

**Conſtructio.**

If you move 45. in the moveable to 30. in the fixed, right against 270. in the moveable is 180. daies in the fixed: which answer is absurd, seeing there is more men allotted to do the worke, there must most necessarily be leſſe time.

Therefore in all Questions of *Reciprocall proportion*, let the demand bee sought out upon the moveable, viz. 270. and brought to the first numbers answer in the fixed, viz. 30. so right against the first number in the moveable, viz. 45. the answer in the fixed, viz. 5. and in so many daies will 270. men doe that service, if 45. men doe it in 30. daies.

**Ques. 2.** Again, if 3840. ſoldiers are victualled for 10. moneths, how many men may it ſerve that the ſaid provision may laſt 12. moneths.

**Conſtructio.**

In this and all others (as before) bring the third number 12. in the moveable, to the other numbers answer in the fixed, viz. 3840. so againſt the first number 10. moneths in the moveable, is 3200 men in the fixed, and so many men with the ſame provision ſerve for 12. moneths.

From which direACTION, those ensuing questions, and alike, may be resolved.

If I lend 140. li. for 7. moneths, if I should borrow of him 100. li. Quest. 3.  
how long might I keepe it; facit 3. moneths and 5. 10.

According to the Statute, if wheat be at 50. s. the quarter, the  
penny loaf should weigh 6. ounces and a half, what shall it now  
weigh, if in case wheat be at 3. l. 12. s. the Quarter; the numbers  
changed into decimals will be thus, if 2. l. 5. 10. give 6. ounces, &c  
5. 10. what shall 3. l. 6. 10. give: facit 4. ounces and 5. 10.

A Gallery is found to containe in the walls 380. yards, how many  
jars of apes: y shall hang that Gallery of 7. quarters broad: facit  
665. yards.

25. *Of* *ounces* *of* *7.* *yards* *to* *an* *ounce* *will* *serve* *to* *lace* *a* *vesture*, *Ques.* *how* *many* *ounces* *of* *5.* *yards* *to* *an* *ounce* *will* *doe* *the* *same*, *&c.* *facit* *35.* *ounces*.

## *How to proportion a Fraction that is not Decimall, into a decimall.*

So if 8. & 12. 40. were to be used; 12. 40. must be changed into a Decimal, thus: bring 40. in the moveable to 10. in the fixed, so right against 12. in the moveable is 3. in the fixed, so the fraction 12. 40 is changed now into 3.10. So for 8. & 12. 40. you have now 8. and 3.10. which may be easily found out.

Again, let 63. 84. bee a fraction which is to be used, this cannot be found out upon the Grammelogia: change it therefore into a Decimall.

Bring therefore 84. (the Denominator) to 100, in the fixed, so 63. (the Numerator) in the moveable, gives 75. in the fixed; so 63. 84. is now changed into a Decimal 75. 100. the same in value with 63. 84. and so of any other Fraction that is not decimall.

This for Lineary Proportion.

B of

Of the Golden Rule, or Rule of Proportion, in respect of Lines and Quantities in plaine Figures.

**Pro. 1.** If the demand be of the quantity, As if the Diamiter of a Circle be 7. and the Area 38. and 5. 10. what is the Area of another Circle whose Diamater is 18. Foot.

**instruccio.** Bring the line knowne to the other line, that is 7. to 18. so right against 38. and 5. 10. in the moveable is 99. in the fixed, which looked out in the moveable, right against it in the fixed is 254. and 5. 10. the Area of that Circle.

In like manner consider of Squares, Triangles, and other plaine Figures.

**Pro. 2.** If a piece of Land of 20. Pole square be worth 30. li. what is a piece of Land of the same goodnesse worth, which is 35. Pole square every way.

**instruccio.** Bring 20. to 35. so right against 30. in the moveable you have 52. and 5. 10. in the fixed; and right against this 52. and 5. 10. in the moveable you have 91. and 8. 10. in the fixed, the worth of that land.

**Pro. 3.** If a piece of ground of 50. paces square is sufficient to lodge an Army of 1600. men, how many men shall there be ledged in a piece of ground which is 40. paces square.

**instruccio.** Bring 50. to 40. so right against 1600. in the moveable is 1280. in the fixed, the answer required.

**Pro. 4.** Our English land measure is 16. foot and a halfe to the Pole, the Irish Pole hath 21. foot, how many English Acres doth 30. Irish Acres make.

**instruccio.** Bring 16. and 5. 10. to 21. then right against 30. in the moveable is 38. and 2. 10. in the fixed, and right against this 38. and 2. 10. in the moveable is 48. and 6. 10. in the fixed, and so many English Acres is contained in 30. Irish Acres, &c.



Our usuall measures in England to the Pole are 16. foot and a halfe 18. or 20. foot, the proportion of their squaues are 68.81. 100. I have set their measures to those numbers in the Grammeclogia.

Now if the quantity be given and his measure, and the quantity be required according to another measure, you may have it with greater expedition: for bring the measure whose quantity is required to the other measure, so against the quantity knowne in the moveable, you have the quantity required in the fixed.

Of the Golden Rule, or Rule of Proportion in respect of Lines, and the quantity of Solids.

So if in some stately Structure the Columes were to bee supported with Cubes of Silver, or other rich Materiall, differing in their quantity, an estimate of their charge might be quickly had; *As admit the side of the least Cube were 4. Inches, and could not be made under 12. li. what might a Cube of the same weight be worth that is but one inch more in the side, viz 5. inches.*

Pro. 1.

Bring 4. to 5. so right against 12. in the moveable, is 15. in the fixed, and right against this 15. in the moveable is 18. and 75. 100. in the fixed, and right against this 18. and 75. 100. in the moveable is 23. li. and 4. 10. in the fixed, and so much will the second Cube cost: *this might bee applied to the weight, weight, or quantitie of other Solids.*

Construction

A Pece of 5. Inches boare or Diameter, requires for her charge 16. pound of Powder, what quantity of Powder will serve another Pece of 4. In. b. in the boare.

Pro. 2.

Bring 5. to 4. so right against 16. in the moveable is 12. and 8. 10. in the fixed, and right against 12. and 8. 10. in the moveable is 10. and 24. 100. in the fixed; and right against this 10. and 24. 100. in the moveable is 8. and 2. 10. in the fixed: the answ. of Powder according to Cubick proportion, but Canoniers doe somewhat qualifie this proportion.

Construction

To finde what Proportion in Quantity there is betweene two or more Solids.

There are two Bullets, Globes, or Cylinders, the Diameter of the one is 10. inches, and the other the Diameter is 4. inches, what proportion is there betweene the Solids, or how often doth the greater containe the lesser.

Pro. 3.

Bring 10. to 4. so right against 100. in the moveable is 40. in the fixed, against this 40. in the moveable is 16. in the fixed; and right against this 16. in the moveable, is 6. and 4. 10. in the fixed; so the proportion betweene the Solids are as 100. to 6. and 4. 10.

Construction

But how often the greater doth containe the lesser, the Rule ensuing doth teach.



Pro. 1.

### How to divide one number by another.

instruc<sup>o</sup>. Move the Divisor to 1. so right against the Dividend in the moveable, is the quotient in the fixed.

declaratio. So if it were demanded, how many daies there is in 216. hours, because a day naturall containes 24. hours, that therefore is the Divisor. Move then 24. to 1. and right against the said 216. in the moveable is 9. in the fixed, and so many daies is 216. hours.



Here note that in all *Divisions*, by how many figures or places the Dividend exceeds the Divisor, so many places or figures shall the *Quotient* have. But if the figures of the Divisor may be taken from as many of the first figures or places towards the left hand of the *Dividend*, then the *Quotient* shall have one place more.

example 2. So if it were further required, how many daies there were in 360. hours, or any other number: the Instrument not moved from his first setting, they are all given at one instant: for right against the number in the moveable, is the answer in the fixed, so right against 360. in the moveable is 15. in the fixed, and so many daies are there in 360. hours.

This note serves only to know the number of Figures or places in the *Quotient*, by which the denomination of the first figure of the *Quotient* may be had.

example 3. So if it were demanded how many yeares there is in 14600. daies, there being 365. daies in the yeare: this therefore is the Divisor. Bring then 265. to 1. so right against 14600. in the moveable is 4. in the fixed, but by the former note it must be 40. and so many yeares is there in 14600. daies, the Instrument not moved, right against any number of daies, as 5000. 10000. 20000. &c. in the moveable, is the yeares in the fixed. With the same expedition and facility may you divide by fractionall numbers.

Further

*Further uses upon Division.*

In a yeare are 52. weeks or 365. daies. If I would know the weekly Example 4  
Expences of any yearly summe of money.

Bring 52. to 1. then right against any summe of money in *Construction*  
the moveable, you have the weekly expences in the fixed:

But if you move 365. to 1. then right against any summe  
of money in the moveable, you have the daily expences in  
the fixed.

So if the expences yearly were 1000. li. or the charge of a *Declaratio.*  
certaine Company of Souldiers: right against it according  
to the note  $\frac{1}{5}$  of Division is 2. li. 7. 10. the daily charge:  
the Instrument not removed, you may see at one instant the  
daily charge of 20000. li. a yeare, 4000. li. or 100000. li. a yeare:  
for right against the charge or expence in the moveable, is  
the answer in the fixed.

*More uses upon Division.*

It is said that Land is bought after the rate of 14. yeares *Example 5*  
purchase: if 14. be therefore brought to 1. right against any  
summe of money in the moveable, you have the Annuall Rent  
in the fixed answerable to that money. And thus you have  
lying before you a whole Circularity of Numbers, by which  
at one instant, doe but speake the summe of money, right  
against it is his Rent.

But if the Rent were given and the Purchase required, it is  
the inverse of this, and is proper to *Multiplication*, and the  
Rule followeth in the next page.

*Other uses upon Division to finde the Scale to divide the Meridian  
line in a Sea Chart, according to any breth, & to a Latitude assignd.*

Let the breth of the Chart extend from the Latitude of *Example 6*  
30. unto 40. the degrees of the Equator answerable to the  
difference of those Latitudes, according to M. Wright's projec-  
tion, are 12. & 24. 100. Bring this 12. & 24. 100. to 1. so right  
against the breth of the Card in the moveable, you have the  
Inches, or parts of Inches in the fixed to make your scale  
by to divide the Meridionall line.

So if the breth of the Card were 33. Inches, right against *Declaratio.*  
it in the fixed is 2. Inches, 7. 10. the largenesse of a degree of  
the Equator: if the breth were 24. & 5. 10. right against it  
is 2. Inches; if 20. & 8. 10. then the breth of a degree is 1. &  
7. 10. if 14. & 7. 10. then 1. & 2. 10. if 8. & 5. 10. then 7. 10. &c.



To multiply one Number by another, or to finde  
the Product of two Numbers.

constru<sup>o</sup>ctio<sup>n</sup>.

Move 1. to the multiplier, then right against the Multi-  
cand in the moveable Circle, you have the Product in  
the fixed Circle.



Here note that the Product of any *Multiplication*, is ever  
as many figures or places, as there are places or figures con-  
tained in the *Multiplicand* and *Mul<sup>t</sup>iplic<sup>o</sup>*, if the two first Fi-  
gures towards the left hand being multiplied together have  
excrecence (that is, if the Product exceed 9) otherwise the  
Product shall bee one figure or place lesse than there are fi-  
gures or places contained both in the *Multiplicand* and *Mul-<sup>t</sup>iplic<sup>o</sup>*.

declaratio<sup>n</sup>.

So if 38. be multiplied by 2. the Product will be but two places: But if the said 38. be multiplied by 5 the Product will be three places, for that 3. by 2. multiplied doth not exceed, but the said 3. by 5. doth beare excrecence, viz. more than 9.

This Note is only to give domination to the first figure of the Product towards the left hand, for if the Product have two figures, then the first figure of that Product towards the left hand is ten or tens; if the Product have three figures, then the first figure of the Product towards the left hand is hundreds, &c.

Example 2.

To Multiply 18. by 5. Bring 1. to 5. then right against 18. in the moveable is 9. in the fixed, which by the former note  
 or observation is 90. which is the Product of 18. by 5.

But if 35. were to be multiplied by 4. move 1. to 4. so right  
against 35. in the moveable is 140. by the last note .

Example 3.

To multiply Fractionall, as 40. and 5. 10. by 7. and 3. 10. Bring 1. to 7. and 3. 10. so right against 40. and 5. 10. in the moveable is 295. and 5. 10. in the fixed; the Product required.

So to multiply 8. 10. by 4. 10. Bring 1. to 5. 10. so right against 8. 10. in the moveable is 4. 10. in the fixed.



## *Uses upon Multiplication.*

12. Moneth make a yeare, bring 1. unto it, so right against any Example 3. monethly expences in the moveable you have the yearly expences in the fixed, according to the note  $\frac{1}{12}$ : So if the monethly expences were 75. li. right against it in the fixed is 9. which by the former note  $\frac{1}{12}$  makes 900. if 150. li. for a moneth, right against it in the fixed is 1800. li. the yearly charges or expences.

## *Other uses upon Multiplication.*

60. Minutes make an houre, bring 1. to 60. so right against Example 4. any number of hours in the moveable is the minutes of those hours in the fixed.

## *Further upon Multiplication.*

Admit lands be sold at 14. yeares Purchase, bring 1. to 14. so Example 3. against any Rent in the moveable you may at one instant see the purchase thereof in the fixed, having regard to the former note  $\frac{1}{14}$ .

## *How to square a Number.*

To square 18. bring 1. to 18. so right against 18. in the Example 6. moveable is 324. in the fixed, the square of the said 18. In like manner may you square whole numbers and fractions, as to square 13. and 5. 10. facit 182. and 25. 100.

## *How to Cube a Number.*

As to Cube 6. and 2. 10. bring 1. to 6. and 2. 10. so right Example 7. against 6. and 2. 10. in the moveable is 36. and 4. 10. in the fixed, and right against 36. and 4. 10. in the moveable is 216. - in the fixed, the Cube of 6. and 2. 10.

Againe to Cube 6. bring 1. to 6. for right against 6. in the moveable is 36. in the fixed; and right against this 36. in the moveable is 216. in the fixed, the Cube of 6. &c.

To finde Numbers in continuall proportion unto  
any two Numbers assigned.

*construictio.* Bring the first number to the second, then right against  
the second upon the moveable, is the third number in the fixed, and against this third number in the moveable, is  
the fourth number in the fixed, &c.

*Declaratio.* So if the numbers to be continued in proportion be 2. to  
4. move 2. to 4. so right against 4. in the moveable is 8. in the fixed, and 8. in the moveable gives 16. in the fixed, and those  
numbers, 2.4.8.16 &c are said to be in continuall Proportion.

*Example 2.* Againe, if I would continue a Proportion, as 2. to 3. move  
2. to 3. then 3. in the moveable shall point out 4. & 5. 10. in the  
fixed, and 4. & 5. 10. in the moveable shall give 6 & 7. 10. in  
the fixed, and so on (if need were) to finde others: and those  
numbers are said to bee in continuall proportion one unto  
another.

 The increase or interest of Money from this ground is easily  
found, seeing the increase of the Money must bee in continuall  
Proportion to the Principal, as 100. li. is to his In-  
terest.

*Example 3.* As if the Proportion were to be continued to 40. li. as  
100. to 108.

*construictio.* Move 100. to 108. then against 40. in the moveable is 43. li.  
2. 10. in the fixed: the first yeares Interest and its Principal,  
& against this 43. li. 2. 10. in the moveable, is 46. li. 8. 10. in the  
fixed, which is the seconds yeares Principal and Interest: in  
like manner may you proceed to other yeares.

 The instrument being at this place, the eye may denote out at  
one instant the Interest of any summe of Money: for right  
against your number in the moveable, is both Principal and  
Interest in the fixed.

*Example 4.* As if it were 27. li. 14. s. (that is, 27. li. 7. 10) right against  
it is 30. li. 1. 10. and so much doth 27. li. 14. s. come to at the  
yeares end, and so all other summes of money doe offer  
themselves at one instant to the eye in their resolutions.

To finde a meane proportion betweene two numbers.

Pro. 1.



Note if the two Numbers have like places, or exceed one another by two places, move the numbers to and fro, untill 1. in the fixed bee equally distant betweene them, which the divisions in the pricked Circle A B will helpe you; so right against 1. in the fixed, is the mean proportion in the moveable.

If the two numbers exceed one another by one, or three places, move the numbers to and fro, untill 1. in the fixed bee equall distance betweene them; so right against B in the moveable is the meane Proportion.

Some uses upon meane Proportionals.

To find how much is taken in the 100. li. in Loane of mony. Pro. 1.  
If 40. be lent for two yeares, and at the end thereof were recei- Declara-  
ved 48. li. and 4. 10. what was taken in the 100.

Finde a meane proportion betweene 40. and 48. 4. 10. which will be 44 according to the last rule; so right against 48. 4. 10. in the moveable, is 110. in the fixed, which is the Principall and its Interest; so ten pound is taken per cent. m.

Pro. 2. In warlike discipline, the weakest place opposed to danger, is supplied with strongest force.

Pro. 2.

Now there are two companies allotted for two severall services, the one containing 500. Souldiers, the other 320. Souldiers, there is a third place, neither so strong as the latter, nor so weake as the former, therefore a meane number of Souldiers is thought convenient for the defence thereof: what number shall it be?

Finde a meane proportion betweene 500. and 320. facit 400. and this is a meane proportionall number betweene 320. and 500. and the number of men required.

Pro. 3. To finde the Scale that protracted a Plot or Building by. Pro. 3.

Let the Rectangle A C be 8. Acres, and let the Scale be sought for Declara-  
tion by which it was protracted or ported: With any Scale measure the side A B. admit of 10.

Construictis

parts in an inch, and suppose it make 33. & 33. 100. parts, and A D. 26. & 66. 100. parts,

according to which the Area of the Rectangle now is 5. Acres and 56. 100. parts; finde a meane proportion between this and the forme 8. Acres, which is 6. & 67. 110. and this stands against 1. in the fixed, which represents 10. his scale, but 8. in the moveable gives 12. in the fixed, and such were the parts in an Inch of the scale sought for.

Ham

Pro. 1.

*How to extract the Square Root by the Grammelogia.*

constru<sup>o</sup>lio.

**L**et 1. in the fixed stand toward you, and seeke that number to be extracted in the moveable, if it have 1. 3. 7. or 9. places, &c. bring the number towards the left side of 1. in the fixed; but if the number have 2. 4. 6. or 8. places, &c. bring it towards the right side of the fixed 1. and move your number to and fro, untill 1. in the moveable bee as farre distant from 1. in the fixed, as your given number is from 1. in the fixed: (the equall parts in the Circle *AB* will helpe you in this) so the number in the moveable right against the fixed 1. is the Root sought for.

Here note that 1. or 2. figures hath but one figure for his Root, 3. or 4. figures hath 2. figures or places for its Root, 5. or 6. figures hath 3. figures for its Root, &c.

*How to extract the Cubicke Root.*

constru<sup>o</sup>lio.

**V**pon the moveable there are those letters *A. B. C.* the distance betweene *A. B.* is divided into 10. equall parts, and each part subdivided: the distance betweene *A. C. B.* is also divided into 10. parts, and each part subdivided, their uses may be thus.

constru<sup>o</sup>lio.

Let 1. in the fixed stand alwaies betweene *A* and *B* in the moveable for the *Extraction of Cubicke Roots*, and move the moveable to and fro, untill that the given number and 1. in the fixed be of like number of parts distant from *A* in the moveable.

So if the given  $\begin{cases} 1. 4. 7. \text{ or } 10. \\ 2. 5. 8. \text{ or } 11. \\ 3. 6. 9. \text{ or } 12. \end{cases}$  Places, &c. the  $\begin{cases} A \\ \text{Cubicke Root} \\ C \end{cases}$  In the Number have  $\begin{cases} 1. 4. 7. \text{ or } 10. \\ 2. 5. 8. \text{ or } 11. \\ 3. 6. 9. \text{ or } 12. \end{cases}$   $\begin{cases} A \\ \text{Cubicke Root} \\ C \end{cases}$  fixed.  $\begin{cases} B \\ \text{fixed.} \end{cases}$  is right against  $\begin{cases} B \\ \text{fixed.} \end{cases}$

And here note that a number of 1. 2. or 3. places hath but 1. figure for the Root; a Number which hath 4. 5. or 6. places hath but 2. figures or places for its Root; a number which hath 7. 8. or 9. places hath but 3. figures or places for its Root, &c.

Vſſ

## Vses upon the square Root.

Pro. 1. There are two square formes, the one is 12. every way, and the other 16. every way, if of those two were made one, how many shoulde it be every way in the side.

Pra. 1.

By the first proportion, pag. 16. finde a number in con-  
Binuall proportion to 16. as 12. to 16. facit 21. & 3. 10. adde  
this to 12. facit 33. and 3. 10. Then by 1. Pro. pag. 17. finde a  
meane proportion betweene that 33. and 3. 10. and 12. facit  
20. the side of the Square required.

Otherwile square and 12. and 16. according to the eighth  
example, pag. 15. facit 144 and 256. the summe of those  
Squares is 400. and the Root Quadrat of it by Pro. 1. pag. 18.  
is 16. as before, those extractions serve to wonderfull utes in  
finding the Diagonals of Rectangles, the Diameters and  
Axis of Solids, the Area, Difference or Aggregate of Figures,  
as well plane as solid.

Otherwise we might apply the Pro. thus,  
AB is the bredth of a ditch 16. foot, BC the  
heigh of a wall 12. foot, the length of a scat-  
ting Ladder to reach from A to C. would bee  
as before 20.

Pra. 2.

A and C are two Townes, Alies West of the Meridian of  
16. miles, and C lies North of the Parallel of A 12. miles,  
the distancies of the two Townes would bee as before 20.  
miles, &c.

Pra. 3.

Pro. 4. How to encampe horse or foot, according to any proportion assigned.

240. men or horse are to be imbatled, that the Flanke to the Front shall be in proportion, as 3 to 5. how many shall be  
in the Front, and how many in the Flanke.

Bring 3 to 5. so against 24. in the moveable is 400. in the fixed, the square Root of which is the Front viz. 20. divide  
the said 240. by the Front, 20. the Quotient is 12. the Flanke.

Construclio.

In mental observation of a number, to finde that number.

Let the number be broken into two parts, and to the product of the parts adde the square of the halfe the difference  
of the parts, the Root Quadrat of the Aggregate is halfe the  
number conceived, &c.

Pra. 5.

Further uses upon the Grammologia in the resolution of Questions, touching Interest, Purchases, valuation of Leases, and such like.

Q

Note that from 1. in the moveable, there is charactered 1. 2. 3. 4. 5. 6. 7. 8. 9. 10. 11. 12. 13. 14. 15. 16. 17. &c. all of equal distances, those serve for the number of yeares as occasion requires.

Pro. 1. To finde what a summe of money comes to, at the end of any number of yeares, accounting 8. li. for 100. p r Annum.

Declaratio. So if 20. li. were forborne 12. yeares, how much doth it come to allowing Interest compound at 8. li. for 100. li.

Construacio. Bring 1. in the moveable to 20. in the fixed, so right against 12. yeares in the moveable you have 50. li. 4. 10. in the fixed. And so much will 20. li. amount to being forborne 12. yeares.

Q

The Instrument not removed, you may at one instant see the amount of the said 20. li. for any number of yeares or parts of a yeare; for right against the time in the moveable, you have the answer of the money in the fixed.

Pro. 2. To finde what a summe of money which is due any number of yeares to come, is worth in ready money, allowing 8. li. for 100. li.

Declaratio. So if the said 20. li. were due 12. yeares hence, what is it worth in Present.

Construacio. This is only the converse of the former: bring therefore 12. yeares in the moveable to 20. in the fixed, so right against 1. in the moveable is 7. li. 94. 100. in the fixed, which is about 7. li. 18. s. 3. d. and so much is able to buy the said 20. li. to be received 12. yeares hence.

Pro. 3. A yearly Rent of a Lease, or a Pension to be sold for any number of yeares, to finde the worth thereof in ready money: Or the Rent for any number of yeares being unpaid, to finde what it amounts unto, accounting 8. li. for 100. li. per Annum.

Declaratio. Let a Lease or Pension of 20. li. per Annum be sold for ready mony, which is in being 12. yeares, how much is it worth?

Construacio. Bring 8. to 100. then right against 20. li. in the moveable is 250. li. in the fixed; unto this 250. in the fixed bring 12. yeares; so right against 1. in the moveable is 99. li. 3. 10. in the fixed, which taken out of the said 250. there remaines 150. li. 7. 10. the worth required.

If the Rent were behind unpaid 12. yeares.

Then bring 1. to the said 250. so right against 12. yeares in the moveable is 630. li. in the fixed, take the former 250. from this 630. li. it leaves 380. li. and so much doth the said Rent of 20. li. per *Annum* amount to forborne 12. yeares at 8. li. for 100. li. per *Annum*.

Pro. 4. A summe of money borrowed, and a Lease ingaged for that money, to finde how long the Lease ought to be kept.

Pro. 4.

Let 300. li. be borrowed upon a Lease in being 20. yeares, *Declaratio.* of 50. li. a yeare, how long shall the Rent be received, that neither be damaged one by the other, accounting 8. li. for 100. li. per *Annum*.

Bring 8. to 100. so right against 50. in the moveable is *Construacio.* 615. in the fixed: from this 265. li. subtract the mony borrowed, *viz.* 300. li. it leaves 325. li. then bring 1. to this 325. in the fixed; so right against the same 615. in the fixed, is 8. yeares 5 10. in the moveable, and so long time shall the Lender of the Money enjoy the Borrowers Lease, after 8. li. for 100. li. per *Annum*. This may be inverted, knowing the Summe and time to finde the Rent.

Pro. 5. A Lease to beginne for yeares to come, and then to continue for any number of yeares, to finde the worth thereof in present, accounting Interest Compound at 8. li. for 100. li. per *Annum*.

Pro. 5.

Let a Lease of 40. li. per *Annum* beginne 7. yeares hence, *Declaratio.* and then to continue 10. yeares after; if it were to bee sold, what is it worth in ready money?

By the third Pro. finde the worth thereof in the present *Construacio.* for the 10. yeares, *sicut*, 268. li. 4. 10. then by the second Pro. finde what that 268. li. 4. 10. is worth in present if it were to be received 7. yeares hence, *sicut*, 156. li. 6. 10. and so much is the said Lease of 40. li. per *Annum* worth, which is to beginne 7. yeares hence, and then to continue unto 10. yeares.

Thus I might have gone further in those matters, but I intended not to be large in this Tract, onely shewing what weighty, and difficult matters in this kinde by the *Grammelogia*, or *Mathematicall Ring*, may bee easily and speedily resolved.

Conclusio.

### Conclusion.

**C**IF there be composed three Circles of equal thicknesse, A, B, C so that the inner edge of **D** and the outward edge of **A** be answerably graduated with Logarithmali signes, and the outward edge of **B** and the inner edge of **A** with Logarithmes and then on the backside be graduated the Logarithmali Tangents, and against the Logarithmali signes oppositely to the former graduations, it shal be fitted for the resolution of Plan and Sphericall Triangles.

### Example.

So if you move the Signe of 90. Degrees unto the Tropick point in the fixed, you have the Declination of any Degree of the Ecliptike only by an ocular inspection, or right against the Sunnes longitude in the moveable amongst the Signes, is the Sunnes declination in the fixed.

Againe, in the Line of Tangents, if you bring the complement of any Latitude in the moveable to 45. in the fixed, you may at one instant have the time of Sun rising or Sun setting for any Declination required in that Latitude; for right against the Tangent of the Sunnes Declination, you have the sine of the Sunnes ascension all difference: and in plaine Triangles the operations are performed with like facility.

Hence from the forme, I have called it a Ring, and Grammelogia by anuolgie of a Library speech; which Ring, if it were projected in the Convex unto two yards Diameter, or thereabouts, and the line Decupled, it would worke Trigonometrie unto seconds, and give proportionall number unto six places only by an ocular inspection, which would compendiate Astronomicall calculations, and be sufficient for the Praeambul of the Motions: But of this as God shal give life and ability to health and time.

*FINIS.*

This Instrument is made in Silver, or Brasse for the Pocket, or at any other bignesse, over against Saint Clements Churche without Temple Barre, by Elias Allen.



CHARLES by the grace of God, King of Great  
Britaine, France, and Ireland, Defender of the  
Faith, &c. To all our loving Subjects whom it  
may concerne greeting: whereas Richard Delamain,  
Teacher of the Mathematicks, hath presented unto vs  
an Instrument called Grammelogia, or The Mathe-  
maticall Ring, together with a Booke so intituled, ex-  
pressing the use thereof, being his owne Invention; we of  
our Gracious and Princely favour have granted unto the  
said Richard Delamain and his Assigues, Privilege,  
Licence, and Authority, for the sole Making, Printing,  
and Selling of the said Instrument and Booke: straight-  
ly forbidding any other to Make, Imprint, or Sell, or  
cause to be Made, or Imprinted, or Sold, the said Instru-  
ment or Booke within any our Dominions, during  
the space of ten yeares next ensuing the date hereof, upon  
aine of Our high displeasure. Given under our hand  
and Signet at our Palace of Westminster, the fourth day  
of Ianuary, in the sixth yeare of our Raigne.

*Vpon his Ring.*

**A**sin a secret *Circle* wrapt lies natures *mysteries*,  
Which time brings forth, & industry makes plaine to all measeye  
So that what erst was hard to finde, at length is wrought with ease,  
*Rules of Proportion*, the *Roots Extraktion*, and these  
With ocular inspection now: Also *Triangles* Plaine  
And *Sphæricall*; for *Questions* soone an *Answer* to obtaine;  
That it makes *Arts* laugh his quicknesse to see, then use this *Ring*,  
The *Circle* where, hid *Arts* lie now themselves discouering,  
If after times shall seeke more ease than in this easinesse  
By *Instrument*, he makes *Arts* lame, with easies great excelle.

*By a Friend.*

**T**he *Ægyptian Sages*, who were wont to sing  
In the *Hiroglyphicks*, their *Philosophie*;  
Portrai'd the yeare in semblance of a *Ring*,  
Cause so the yeare round in it else doth lie.  
Thy *Mathematicke Ring* is more profound,  
A world of Art lies in that little Round.

FINIS.

De la Mains

F

cyc

Attr.

V.

LONDON,